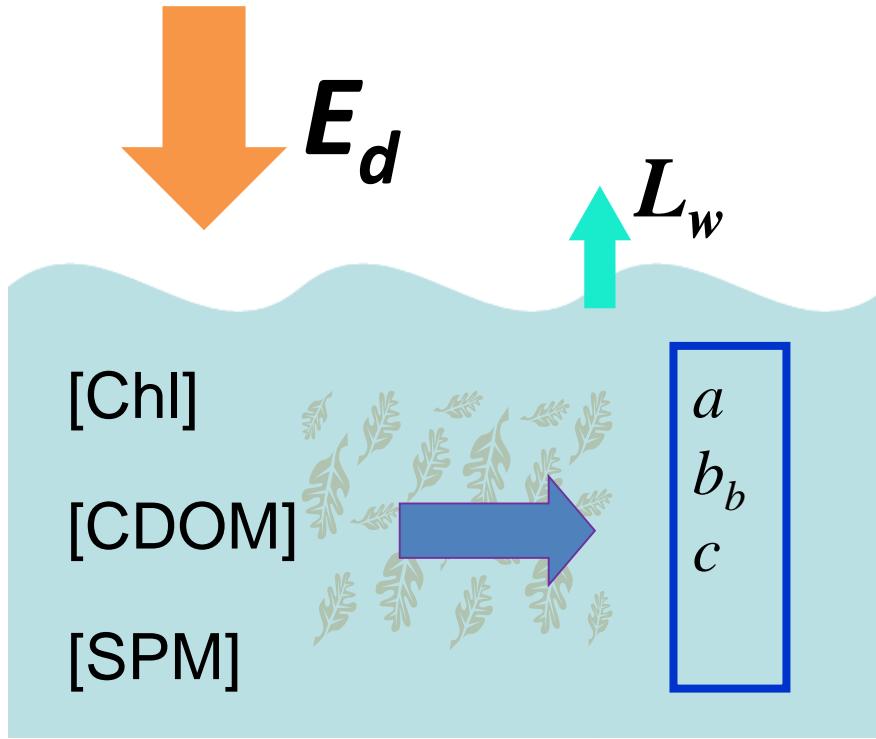


Lecture 5: Measure water-leaving radiance





Remote-sensing reflectance

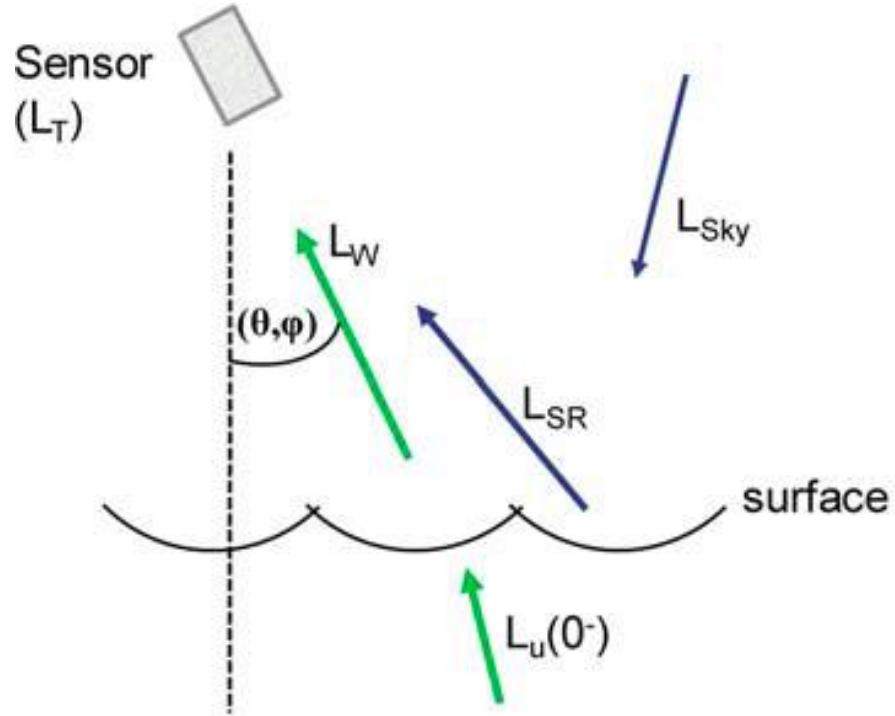
$$R_{rs} = \frac{L_w}{E_d}$$

It is L_w (or R_{rs}) containing information of in-water constituents!

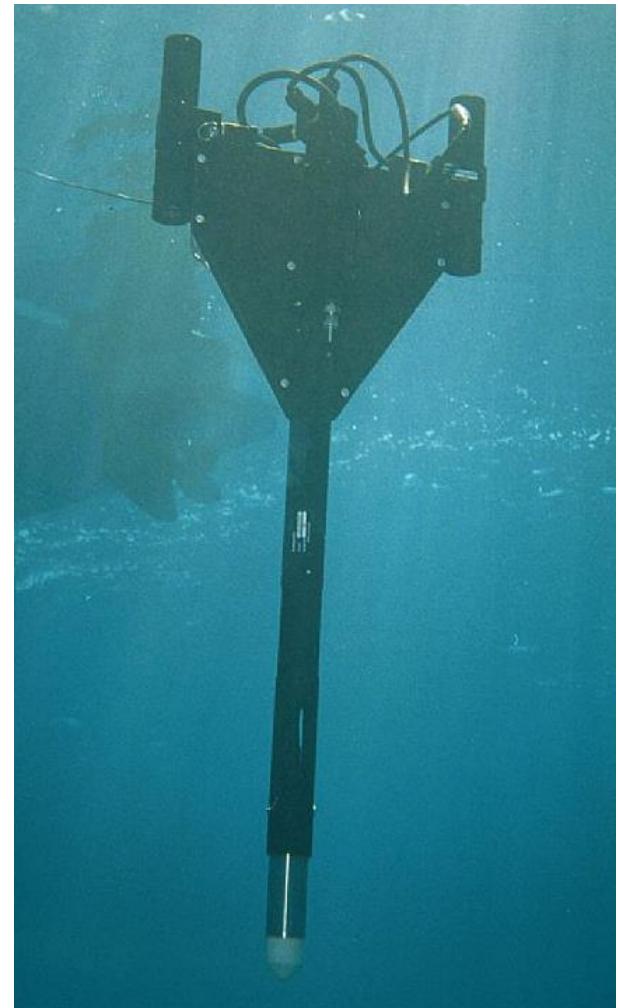
Lw (or Rrs) need to be measured as accurate as possible:

1. To calibrate/validate satellite product
2. To develop inversion algorithms

Above-water method:



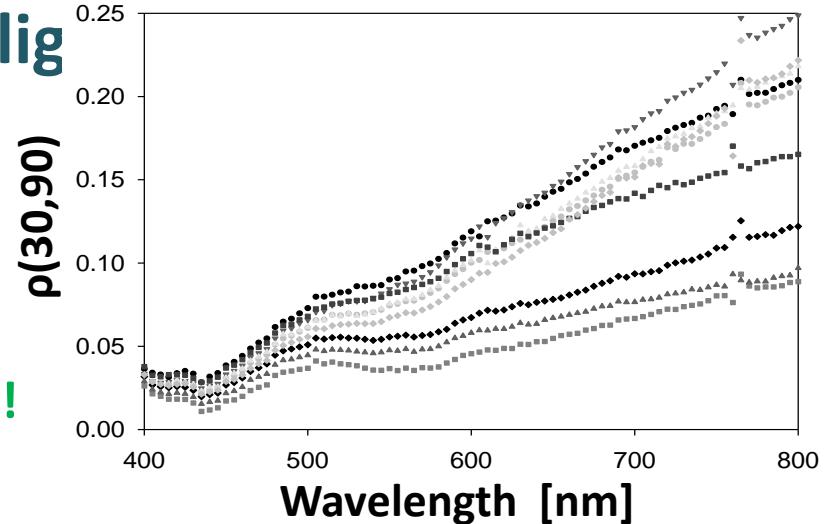
In-water method:



Main issue of above-water method: Correcting surface-reflected lig

$$L_w(\lambda) = L_T(\lambda) - \rho L_{Sky}(\lambda)$$

ρ depends on wavelength and measurement!



Main issue of in-water method:

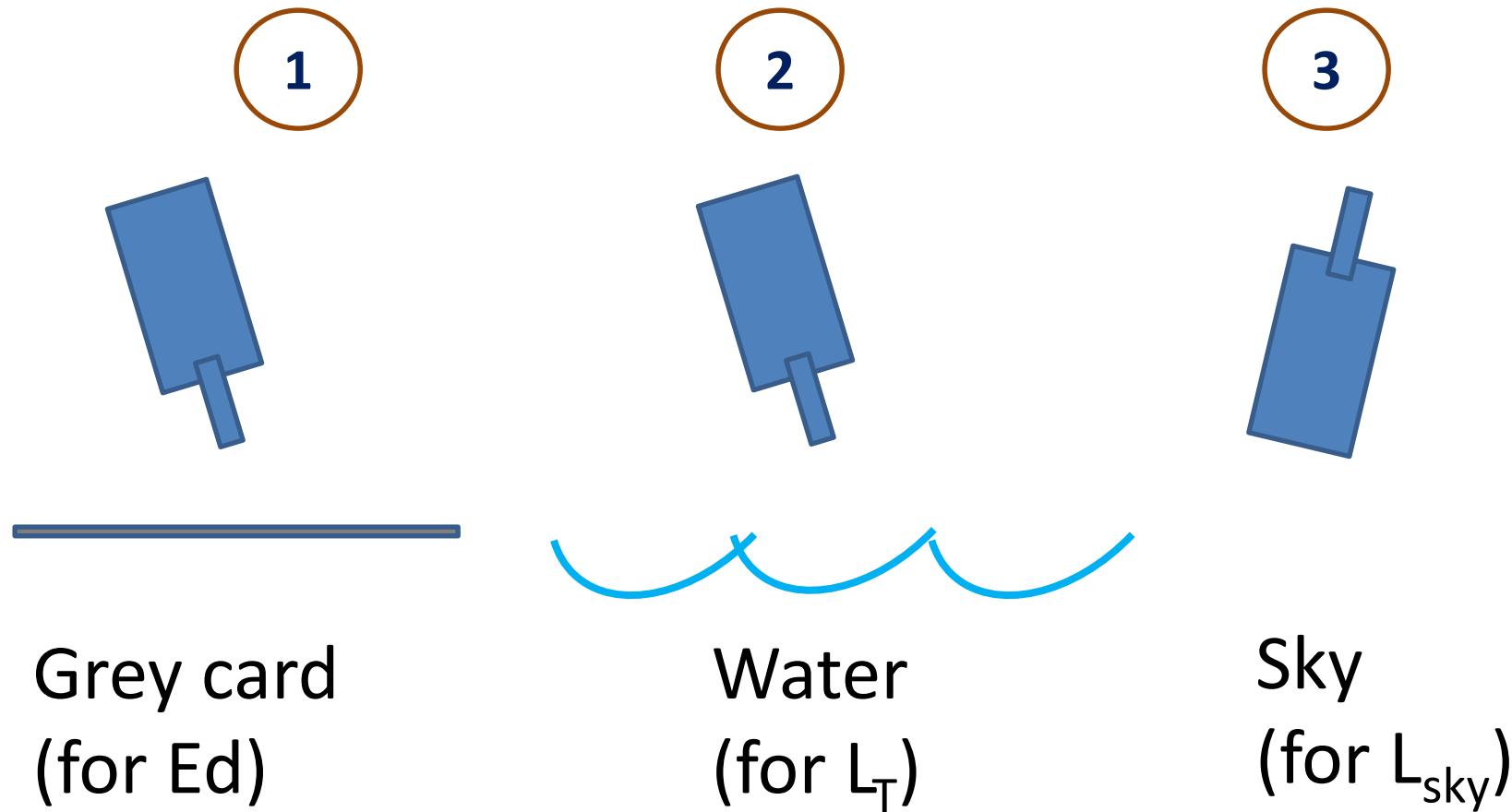
Propagating through the water-column and interface

$$L_w(\lambda) = \frac{t}{n^2} L_u(\lambda, z) e^{K_{Lu}(\lambda)z}$$

Both methods involve substantial data manipulations.

None of them *directly* measures water-leaving radiance!

Measurement sequence of above-water method:



Relationship of primary properties:

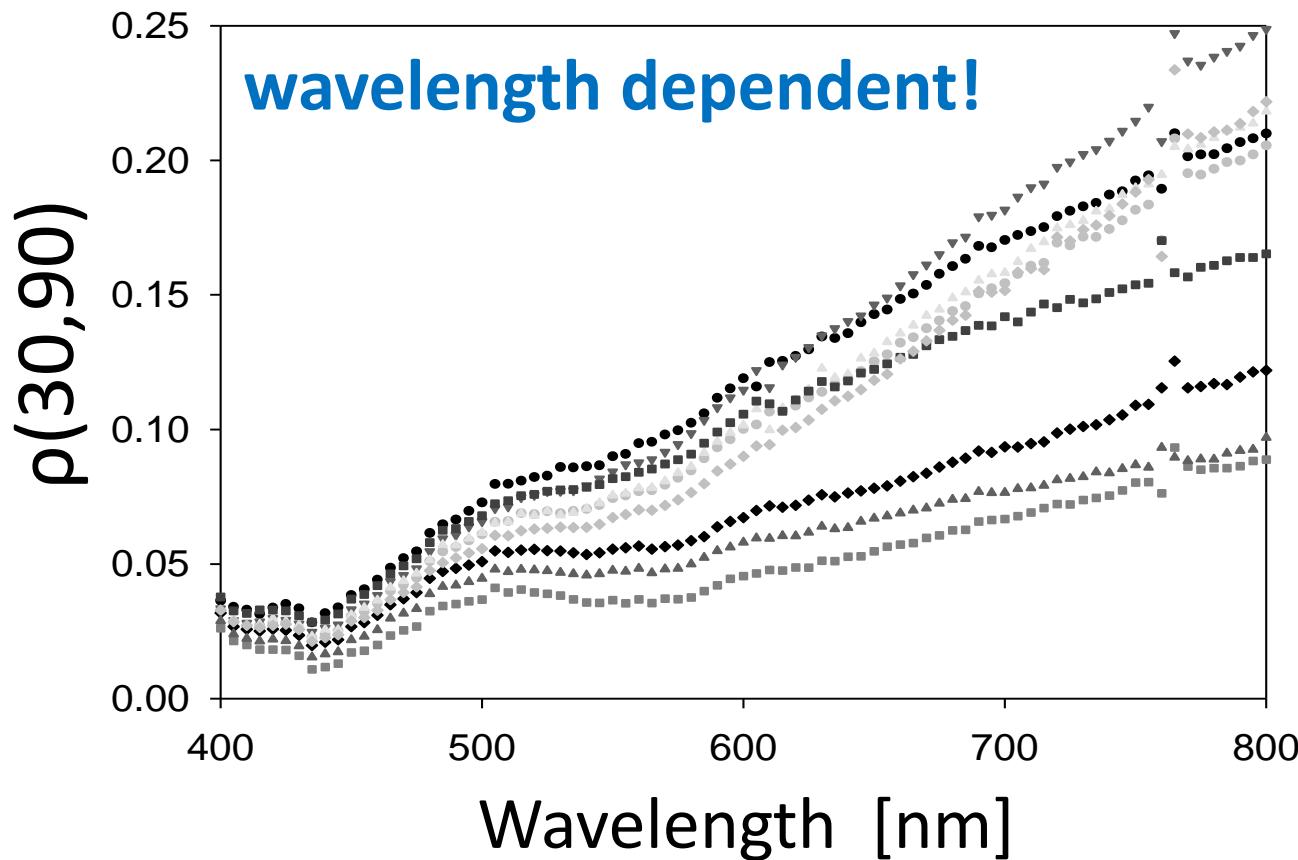
$$T_{rs} = \frac{L_T}{E_d} \quad S_{rs} = \frac{L_{Sky}}{E_d}$$

$$R_{rs}(\lambda, \theta, \varphi) = T_{rs}(\lambda, \theta, \varphi) - \rho(\theta, \varphi) S_{rs}(\lambda, \theta', \varphi).$$

From Hydrolight simulation:

$$\rho(40,135) \approx 0.028$$

(Mobley 1999 Appl Opt)



(Lee et al 2010 Opt Express)

Why they differ so much?!

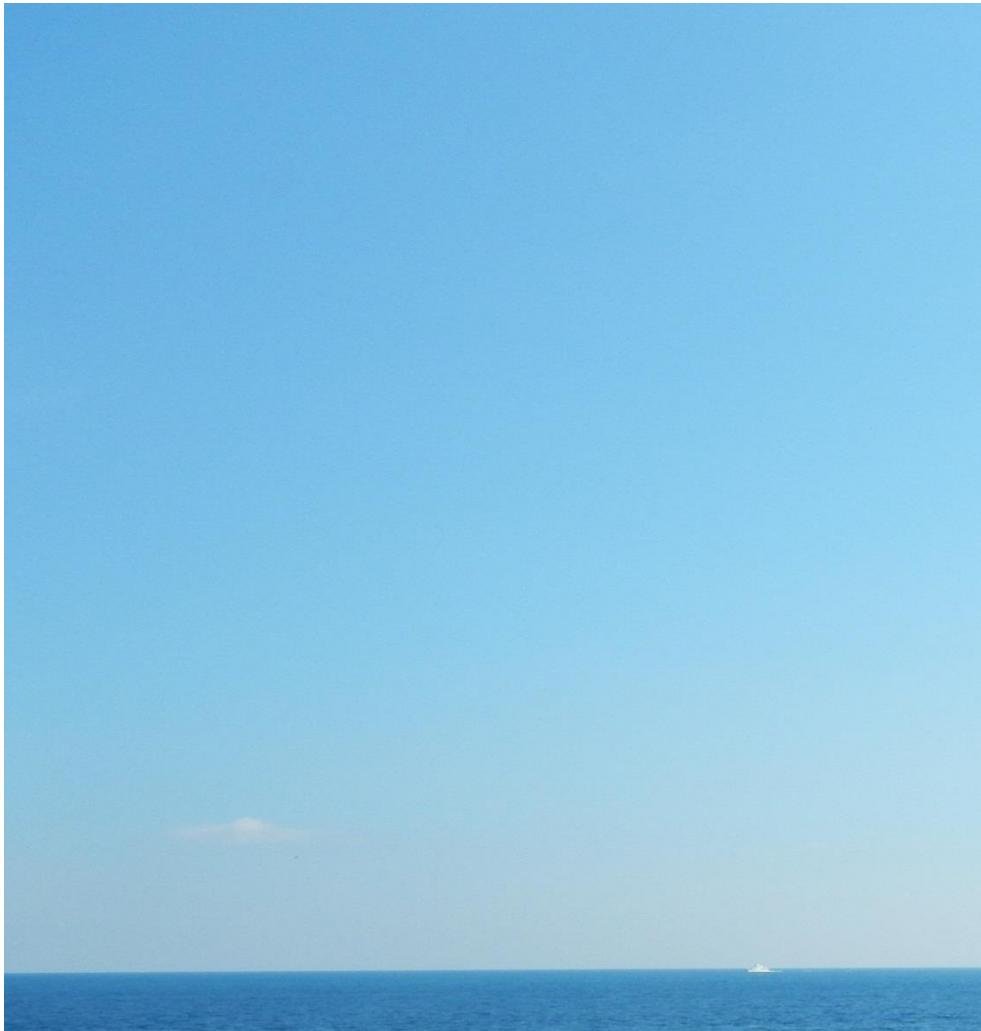


In the real world, if the sensor has a large FOV and integrates over a few seconds,

$$L_T(\lambda, \theta, \phi) = L_W(\lambda, \theta, \phi) + \sum_i w_i F(\theta_i', \varphi_i', \theta, \phi) L_{Sky}(\lambda, \theta_i', \varphi_i').$$

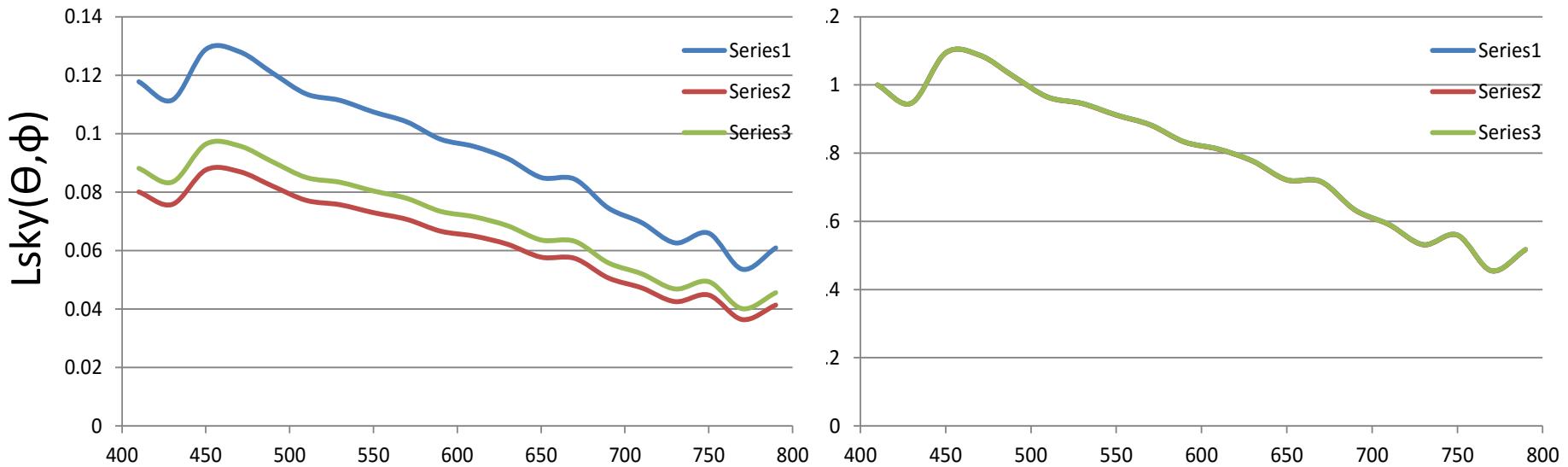
$$L_T(\lambda, \theta, \phi) = L_W(\lambda, \theta, \phi) + \rho(\theta, \phi) L_{Sky}(\lambda, \theta', \phi)$$

$$\rho(\theta, \phi) = \sum_i w_i F(\theta_i', \varphi_i', \theta, \phi) \frac{L_{sky}(\lambda, \theta_i', \varphi_i')}{L_{Sky}(\lambda, \theta', \phi)}$$



ρ will be wavelength dependent!

‘secrets’ of Hydrolight



$$L_{sky}(\lambda, \theta, \phi) = \varepsilon(\theta, \phi) E_{dsky}(\lambda, \theta, \phi)$$

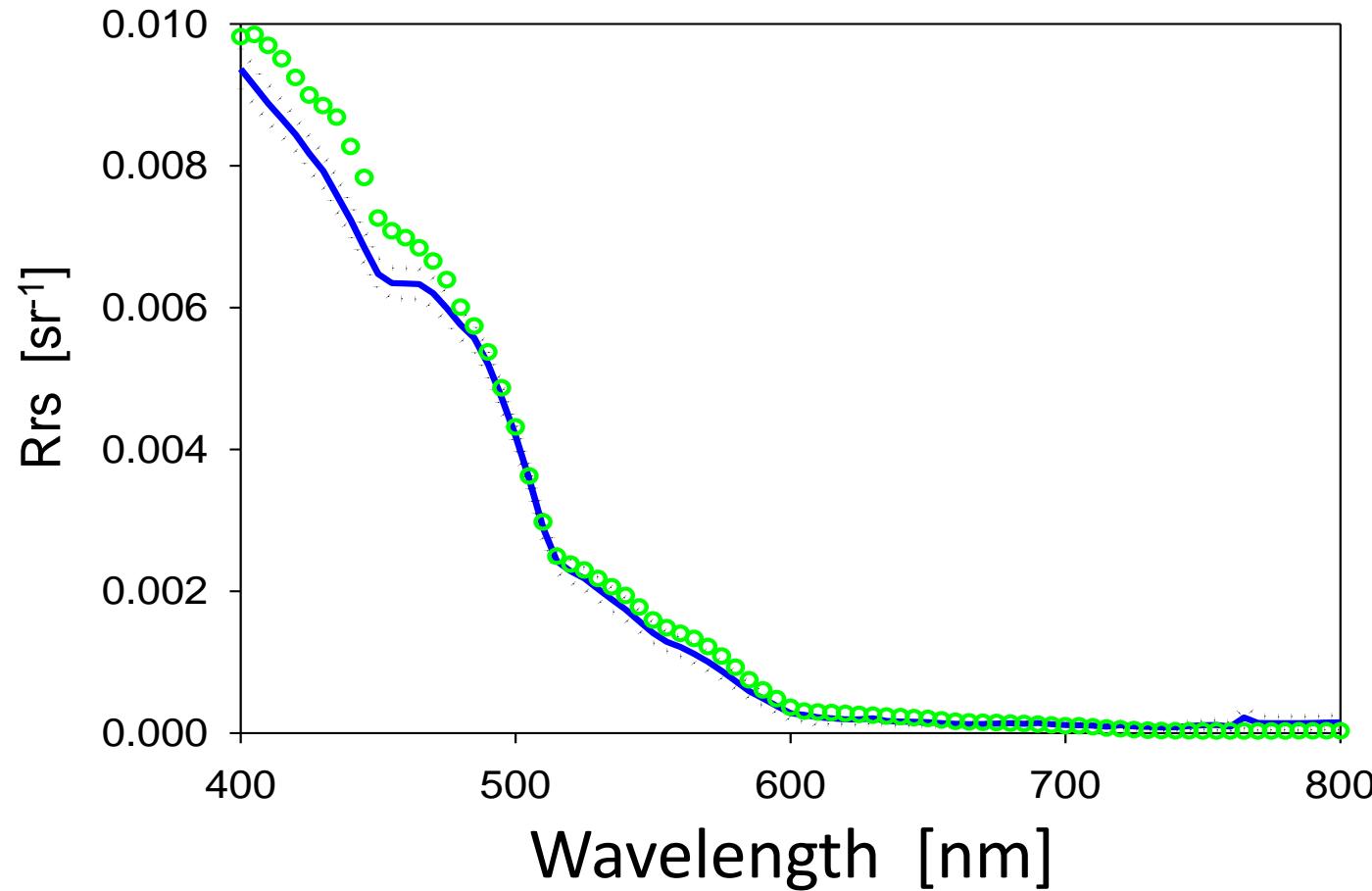


$$L_T(\lambda, \theta, \varphi) = L_W(\lambda, \theta, \varphi) + w_0 F(\theta, \varphi) L_{Sky}(\lambda, \theta', \varphi) + \sum_{i=1} w_i F(\theta_i', \varphi_i', \theta, \varphi) L_{Sky}(\lambda, \theta_i', \varphi_i').$$

$$T_{rs}(\lambda, \theta, \varphi) \approx R_{rs}(\lambda, \theta, \varphi) + F(\theta, \varphi) S_{rs}(\lambda, \theta', \varphi) + \sum_{i=1} w_i F(\theta_i', \varphi_i', \theta, \varphi) S_{rs}(\lambda, \theta_i', \varphi_i').$$

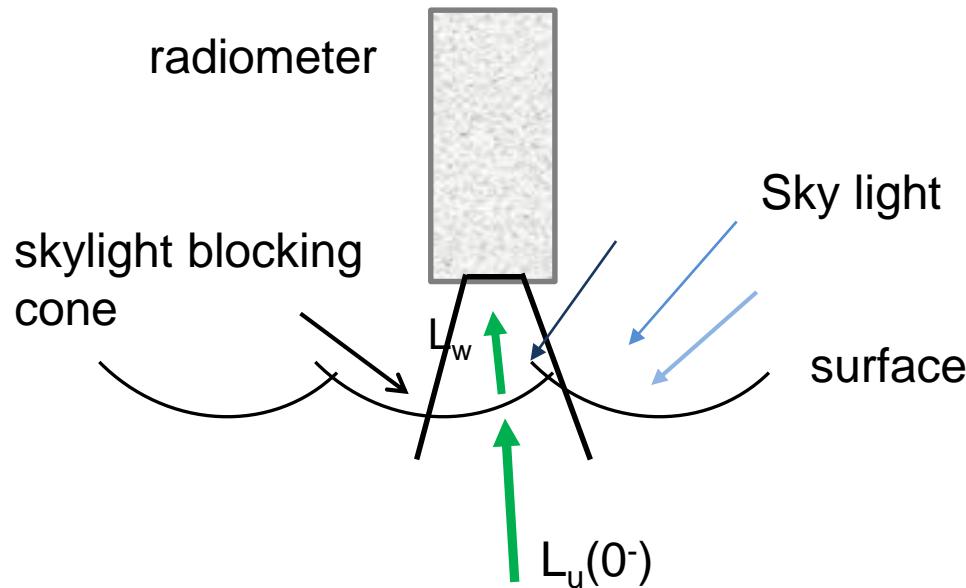
$$T_{rs}(\lambda, \theta, \varphi) \approx R_{rs}(\lambda, \theta, \varphi) + F(\theta, \varphi) S_{rs}(\lambda, \theta', \varphi) + \Delta(\theta, \varphi),$$

Using an Rrs model for helping the derivation of Δ . Example of results:



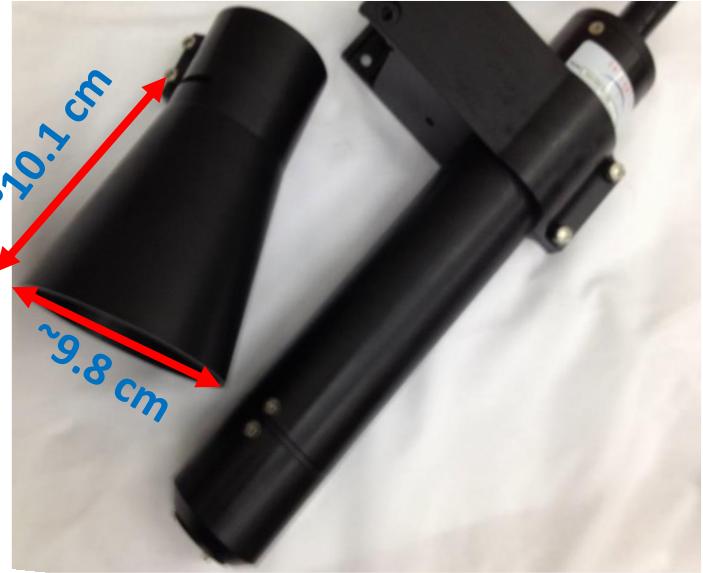
(Lee et al 2010 Opt Express)

An approach to *directly* MERASURE L_w



Skylight Blocked Approach (SBA)

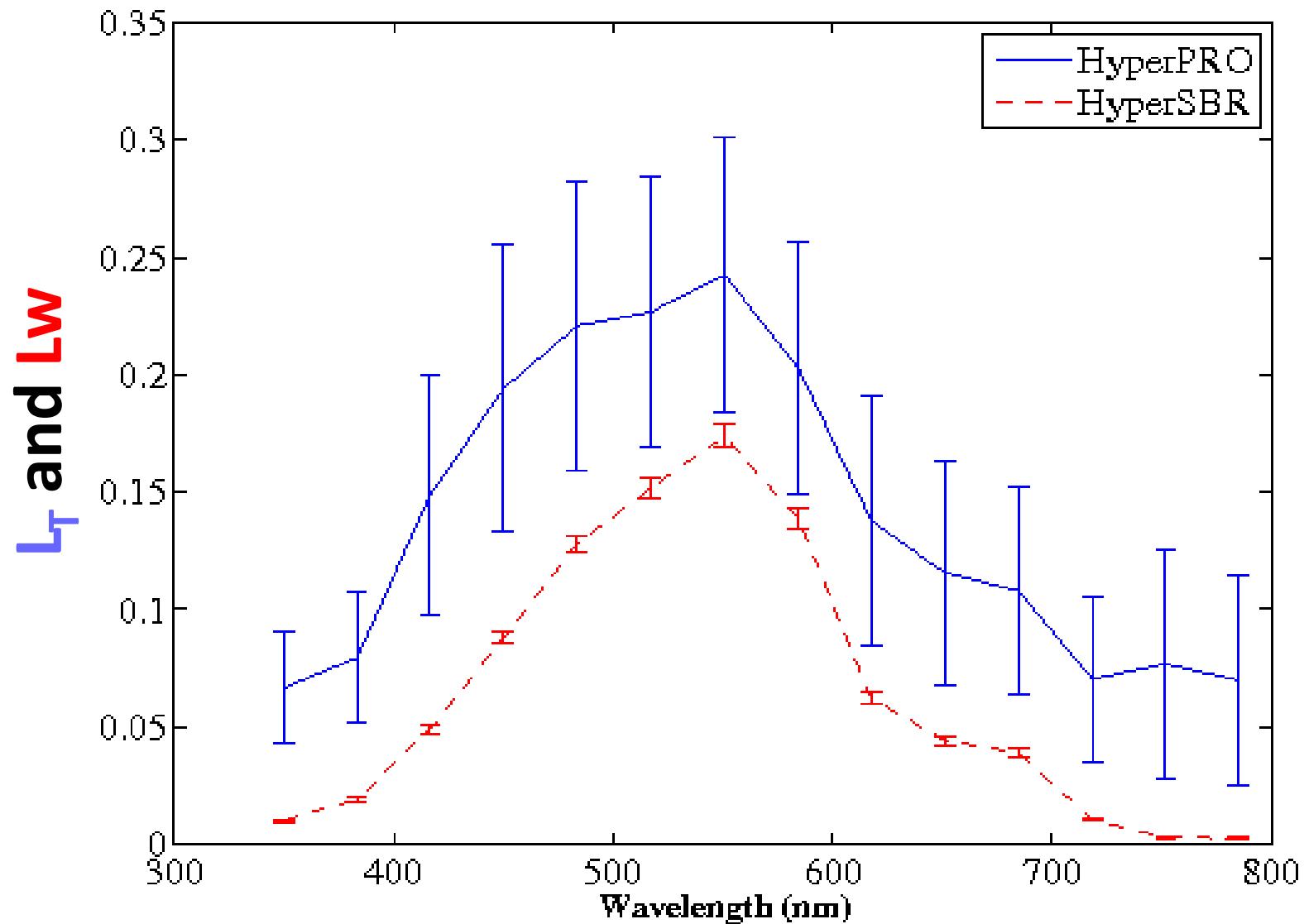
(Ahn et al. 1999, Tanaka et al. 2006, Lee et al. 2013)



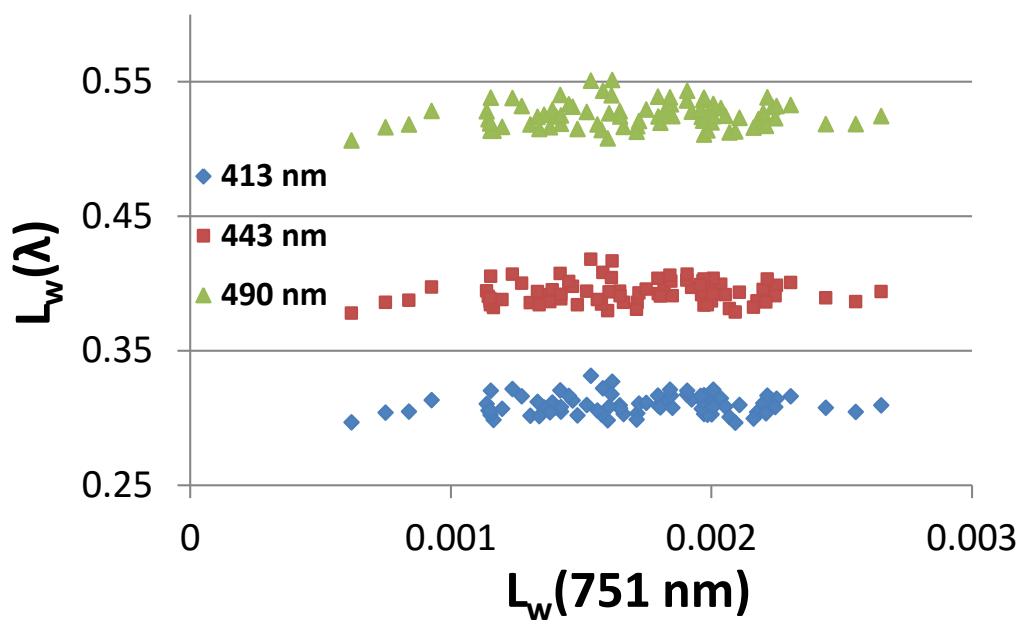
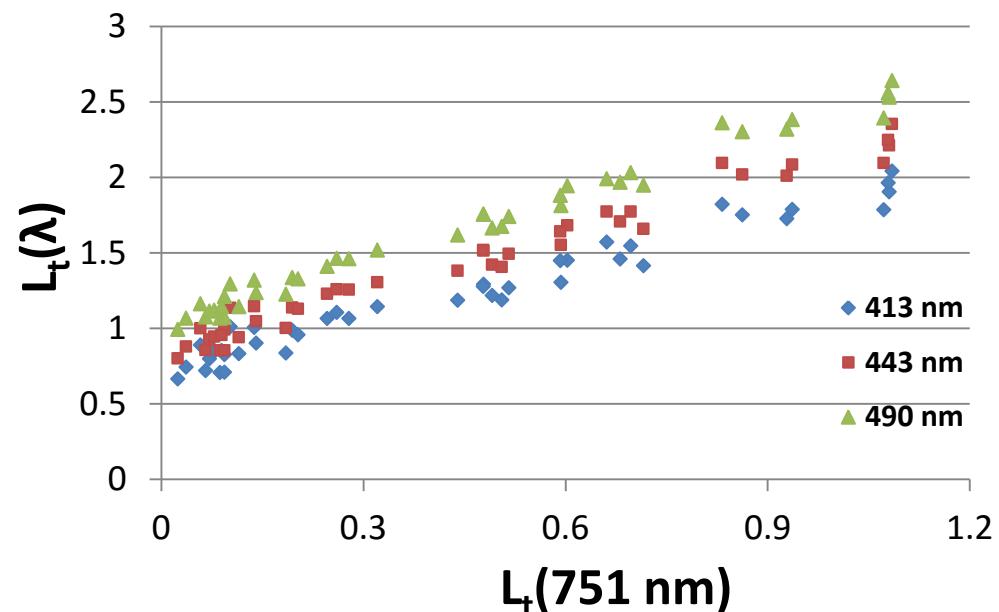
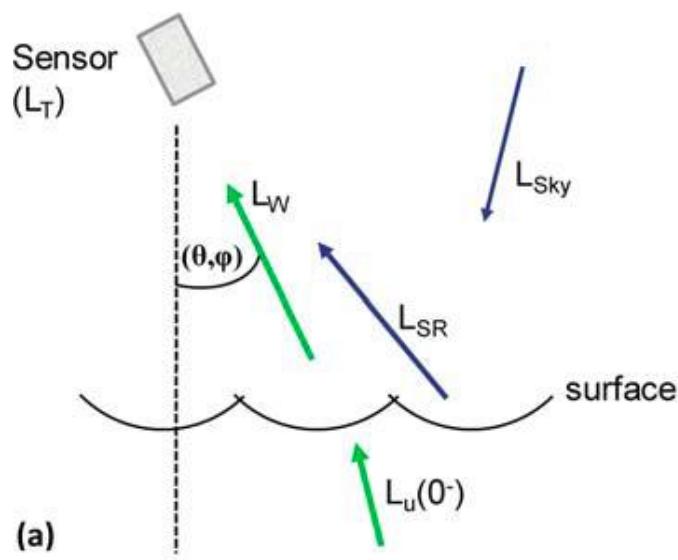


Sample result

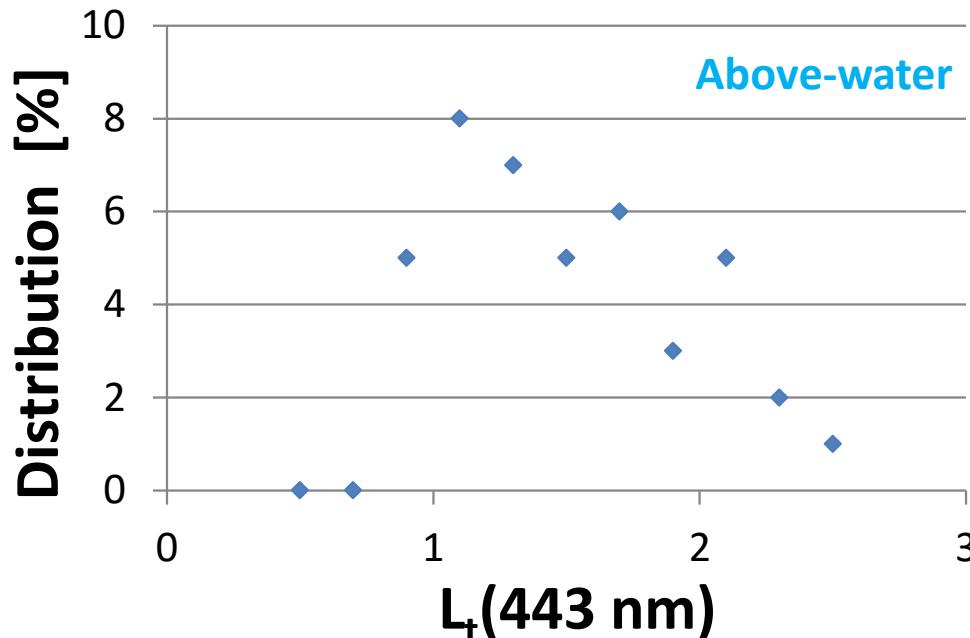
(~10 Knots wind!)



Comparison between above-water method and SBA method



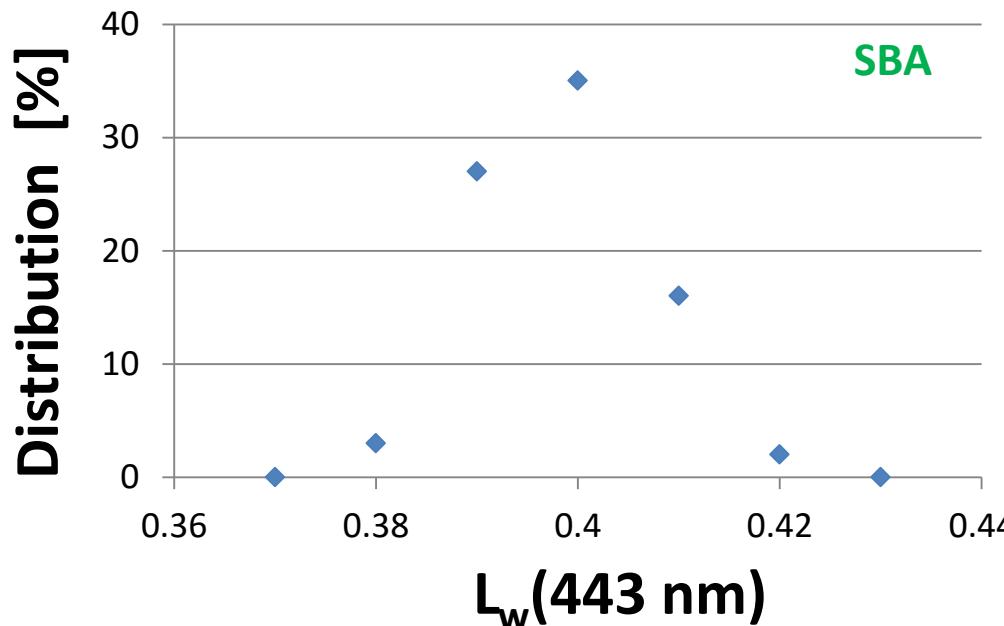
Comparison between above-water method and SBA method



Above-water

$$CV = STD/MEAN = 32\%$$

All these deviations will
be propagated to Rrs!

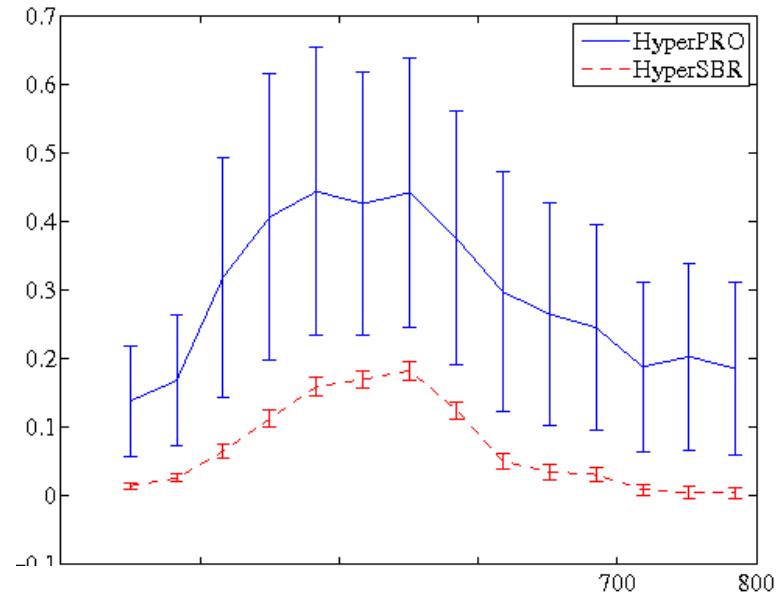
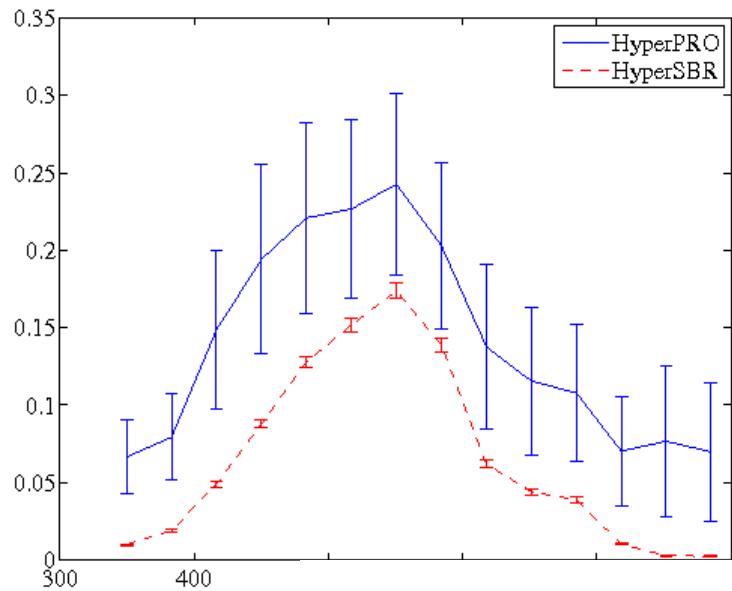


SBA

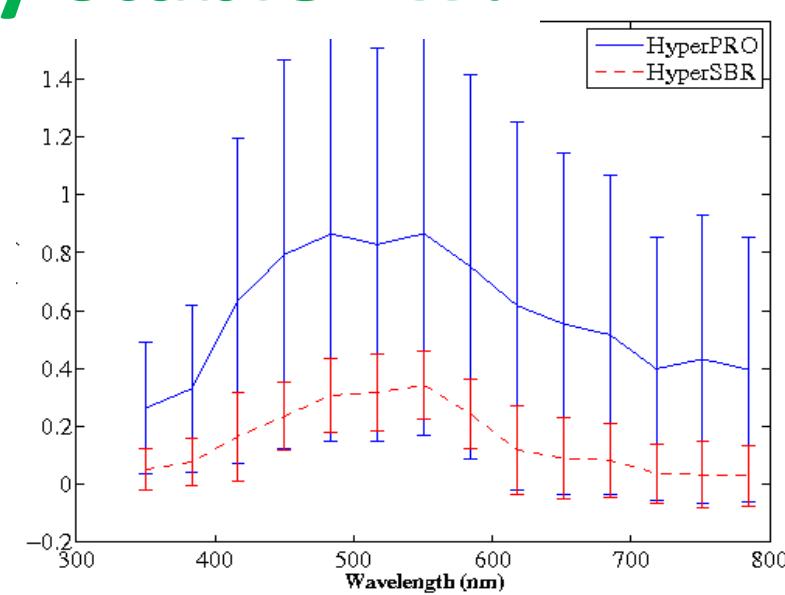
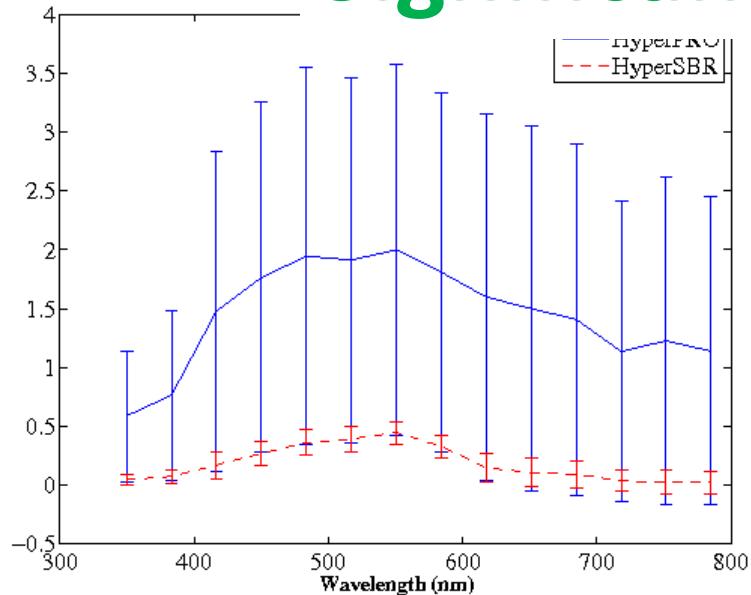
$$CV = STD/MEAN = 2.1\%$$

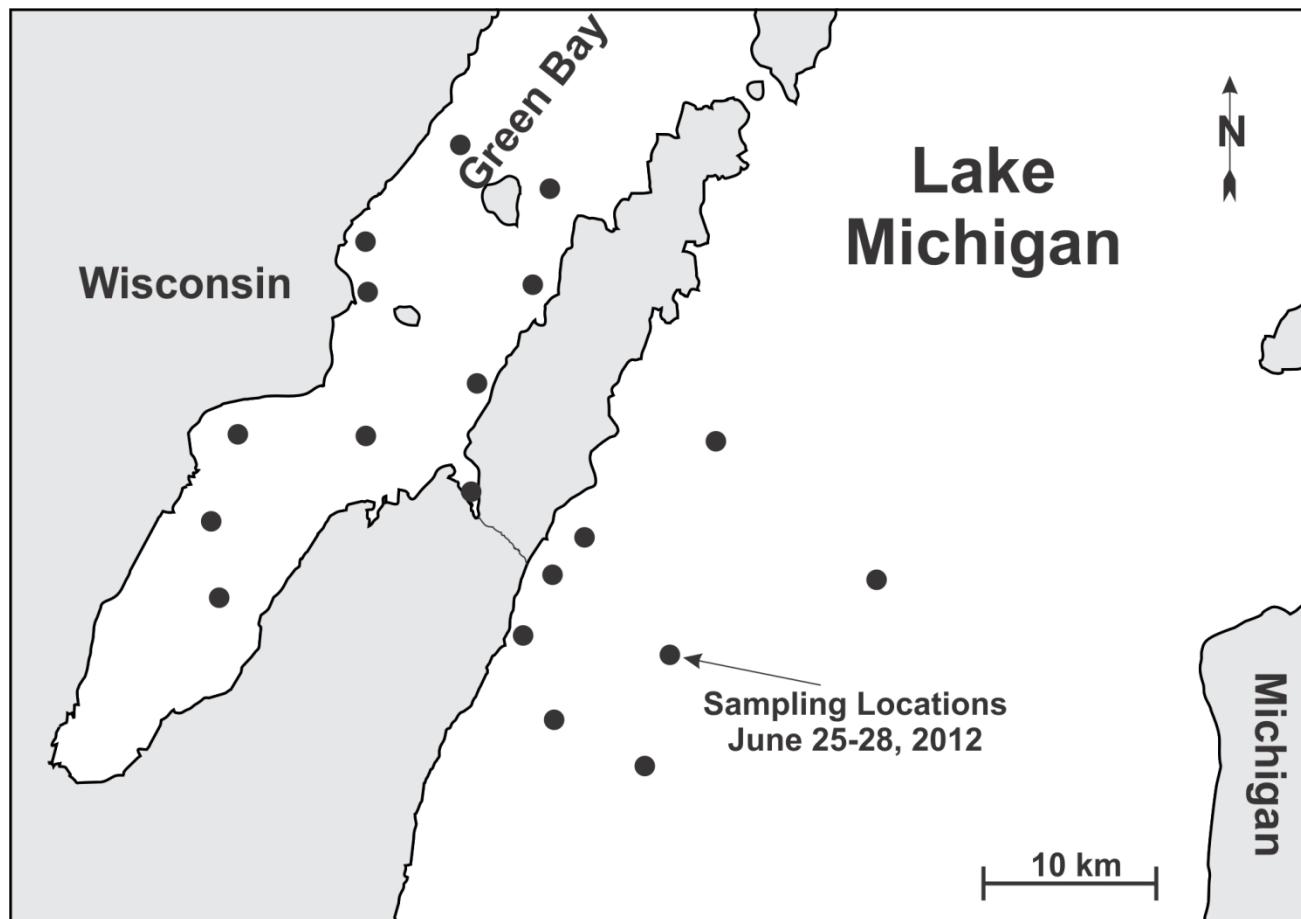
More examples to demonstrate the stability of Lw under various windy conditions!

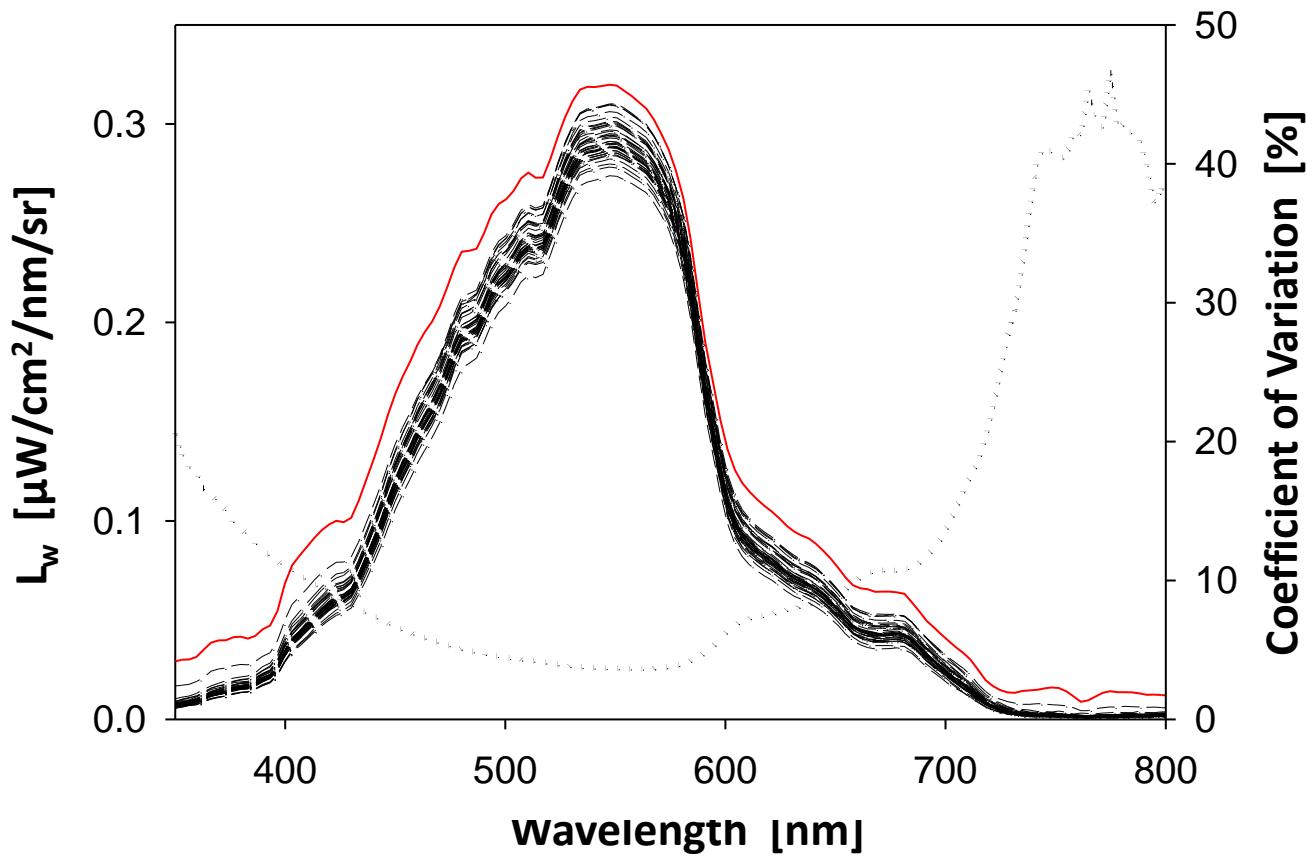
L_T vs L_w

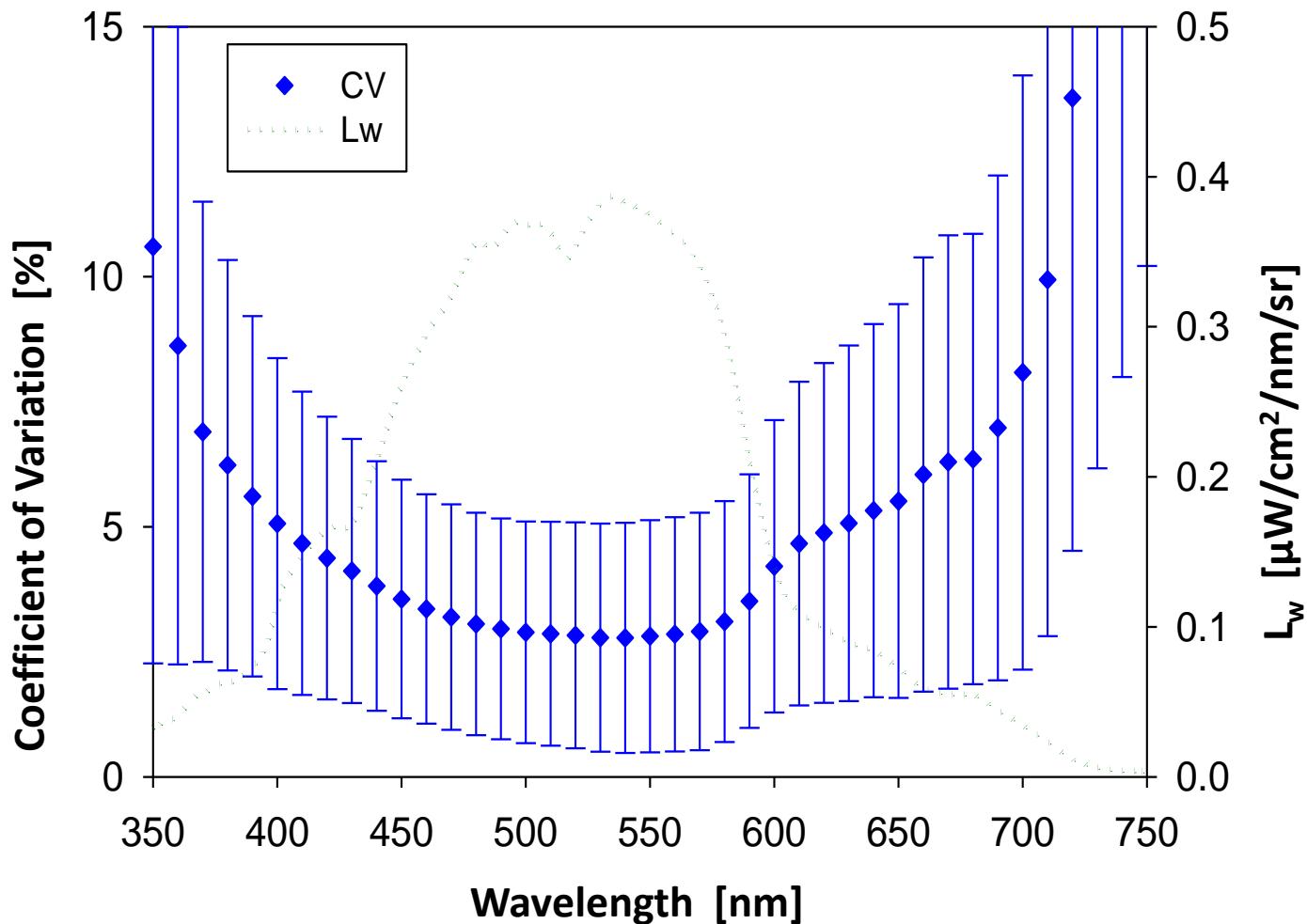


Significantly stable Lw!









Conclusions:

1. Mobley (1999) formula over-simplified the correction of surface reflected light.
2. SBA system provides a direct measurement of L_w !
3. Because of the significantly reduced requirement of post-measurement data processing, L_w from an SBA system is stable and highly precise.
4. SBA system is especially useful for complicated environment: e.g., stratified water, shallow bottoms, or seagrass/kelp beds, etc.